Orbital optimization in selected configuration interaction

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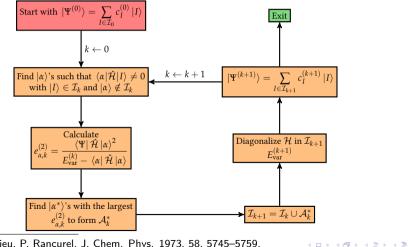
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CIPSI

CIPSI, Configuration Interaction using a Perturbative Selection made Iteratively:¹



¹B. Huron, J. P. Malrieu, P. Rancurel, J. Chem. Phys. 1973, 58, 5745–5759.

Introduction

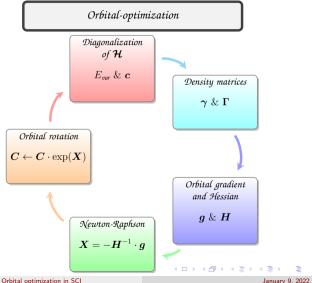
Orbital optimization

How to minimize the CI energy of a given wave function ?

$$E_{\mathsf{var}}(oldsymbol{c},oldsymbol{X}) = raket{\Psi} e^{\hat{X}} \hat{\mathcal{H}} e^{-\hat{X}} \ket{\Psi}$$

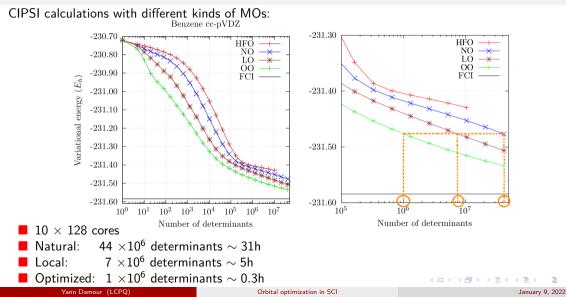
- X orbitals parameters - \hat{X} operator producing a rotation matrix when exponentiated

F. Kossoski, A. Marie, A. Scemama, M. Caffarel, Michel and P. F. Loos, J. Chem. Theory Comput. 2021, 17, 8, 4756-4768



Results

Benzene cc-pVDZ



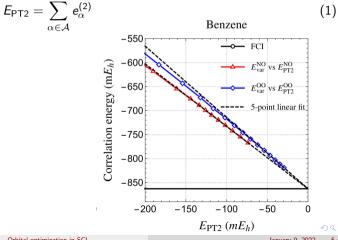
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Results

FCI extrapolation

When FCI energy is unreachable, it can be extrapolated

The PT2 energy computed during the CIPSI provides an estimate of the missing correlation energy:



For large enough wave functions: $E_{\rm FCI} \approx E_{\rm var} + E_{\rm PT2}$ $\blacksquare E_{\text{var}} = f(E_{\text{PT2}}) \approx \beta E_{\text{PT2}} + E_{\text{FCI}}$

Conclusion

Method provides more compact wave functions

- Tested on 12 cyclic molecules, 16-32 times smaller wave functions with OOs compared to NOs Damour, Véril, Kossoski, Caffarel, Jacquemin, Scemama and Loos, J. Chem. Phys. 155, 134104 (2021)
- More accurate extrapolations to the FCI energy
- Allows to consider larger Hilbert spaces/systems
- **Code implemented in** QUANTUM PACKAGE

Works for all methods for which the density matrices are available (ex: pCCD) and excited states

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Acknowledgments

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